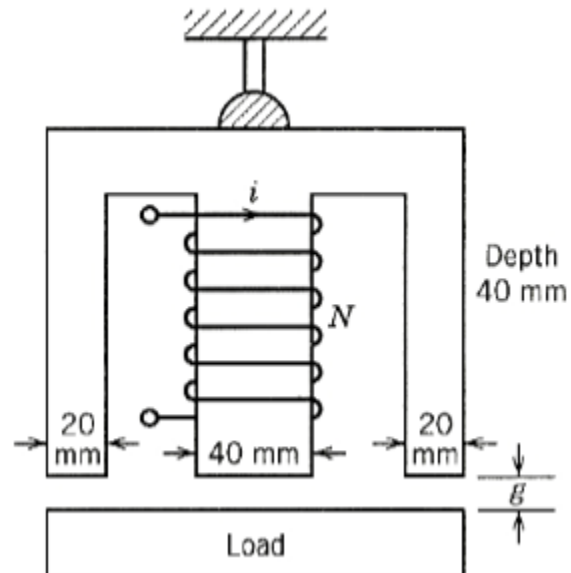


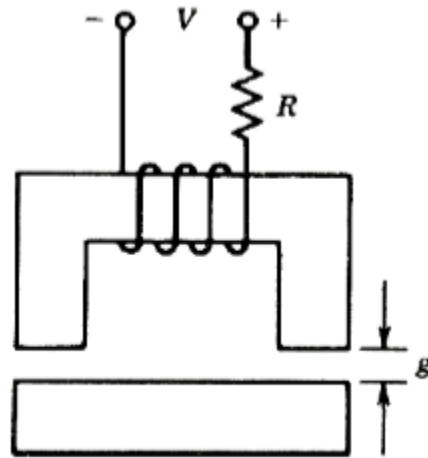
Question 1



An electromagnet lift system is shown in the figure above. The coil has 2500 turns. The flux density in the air gap is 1.25T. Assume that the core material is ideal.

- a) For an air gap, $g = 10\text{mm}$
 - i. Determine the coil current
 - ii. Determine the energy stored in the magnetic system
 - iii. Determine the force on the load (sheet of steel)
 - iv. Determine the mass of the load (use acceleration due to gravity = 9.81m/s^2)
- b) If the air gap is 2mm determine the coil current to lift the load.

Question 2



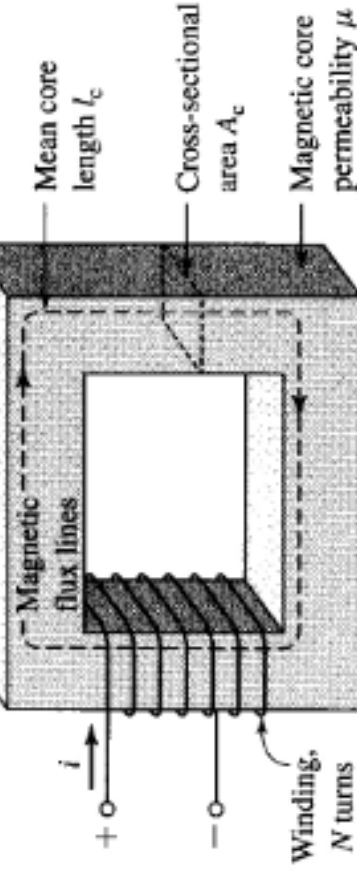
The electromagnet shown in the figure above can be used to lift a sheet of steel. The coil has 400 turns and a resistance of 5 ohms. The reluctance of the magnetic material is negligible. The magnetic core has a square cross section of 5cm by 5 cm. When the sheet of steel is fitted to the electromagnet, air gaps, each of length $g = 1\text{mm}$, separate them. An average force of 550 newtons is required to lift the sheet of steel.

- a) For the DC supply,
 - i. Determine the DC source voltage.
 - ii. Determine the energy stored in the magnetic field.
- b) For an AC supply at 60Hz, determine the AC source voltage.

Magnetic Circuits

- Consider basic magnetic circuit

Assume all magnetic field is confined inside the core



Define Magnetic Flux

$$\Phi = \int_S \mathbf{B} \cdot d\mathbf{a} = B_c A_c \quad [Wb]$$

Flux is always continuous

$$\text{Consider mmf} \quad F = Ni = H_c l_c = \frac{B_c l_c}{\mu} = \Phi \frac{l_c}{\mu A_c} = \Phi \mathfrak{R}_c$$

Define Reluctance (of the given magnetic path)

$$\mathfrak{R}_c = \frac{l_c}{\mu A_c} \quad \left[\frac{A}{Wb} \right]$$

Defines properties of magnetic core (or path)

Recall Inductance

$$L = \frac{\lambda}{i} = \frac{N \cdot \Phi}{i} = \frac{N \cdot N \cdot i}{i \cdot \mathfrak{R}_c} = \frac{N^2}{\mathfrak{R}_c}$$

Defines properties of magnetic core and the coils wound on it

Energy & Co-Energy Coupling in Field

Consider a state of the system

$$i = i_a \quad \lambda = \lambda_a \quad \lambda = L_m(x)i$$

Energy going in coupling field

$$W_f = \int i d\lambda$$

Co-Energy associated with this state

$$W_c = \int \lambda di$$

Energy and Co-Energy Balance

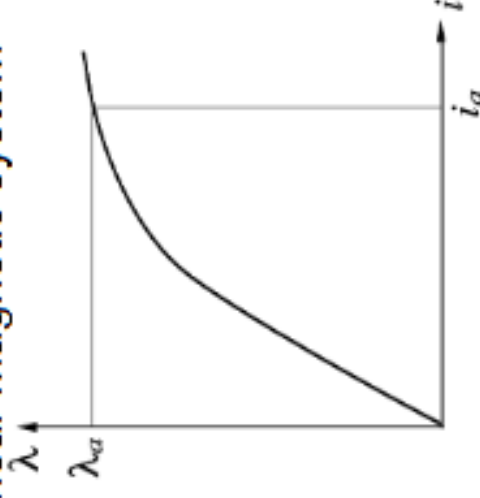
$$\lambda i = W_f + W_c$$

For magnetically linear systems

$$W_f = W_c = \frac{1}{2} \lambda i = \frac{1}{2} L i^2$$

Coupling Field is Conservative – The stored energy does not depend on the history of electromechanical variables, it depends only on their final state/values

Non-linear magnetic system



Magnetically linear system

